## New York State Education Department

204TH HIGH SCHOOL EXAMINATION

## ELEMENTARY ALGEBRA

Monday, June 12, 1911 - 9.15 a. m. to 12.15 p. m., only

The at top of first page of answer paper (a) name of school where you have select, (b) number of weeks and recitations a week in elementary algebra. The minimum time requirement is five recitations a week for a school year. Answer the first six questions and two of the others. No credit will be allowed unless all operations (except mental ones) necessary to find that are given; simply indicating the operations is not sufficient.

Find the prime factors of each of the following and determine the lowest common multiple:  $2m^6-2n^6$ ;  $3m^4-3n^4$ ;  $4m^2-2mn+2n^2$ 

simplify 
$$\frac{\frac{a^2+b^2}{a}-b}{\frac{1}{a}-\frac{1}{b}} \times \frac{a^2-b^2}{a^3+b^2}$$

\[ \int\_{3} \text{ Reduce each of the following to its simplest form:} \]
\[ \frac{1}{20} \times \sqrt{27}; \ 8 \sqrt{15} \div 4 \sqrt{5}; \ 2 \sqrt{\frac{3}{8}}; \ a \sqrt{4} + \sqrt{8a^2}; \ \frac{4}{4 - 2 \sqrt{3}} \]
\[ \text{4 Solve } \sqrt{3x + 1} + \sqrt{x - 4} = \sqrt{4x + 5} \]

5 Find the square root of each of the following: 95,481;  $a^4+53a^2+14a^3+28a+4$ 

6 Expand by the binomial formula  $(4a-cd)^4$ , giving all the work.

7 Define power, coefficient, polynomial, transposition, root of an equation.

18 A purse contains 18 coins, some of which are quarters and the remainder dimes; if the coins are worth \$2.40 altogether how many are there of each kind?

Jo Find two consecutive numbers whose product is 272.

Two numbers are in the ratio of 3:4; if 7 is subtracted from each number the remainders are in the ratio of 2:3. Find the numbers.