The University of the State of New York

261st High School Examination

PLANE GEOMETRY

Tuesday, August 21, 1934—8 30 to 11 30 a m, only

Instructions

Do not open this sheet until the signal is given

Answer all questions in part I, in part II, answer three questions from group I and two questions from group II

Part I is to be done first and the maximum time to be allowed for this part is one and one half hours Merely place the answer to each question in the space provided, no work need be shown

If you finish part I before the signal to stop is given you may begin part II However, it is advisable to look your work over carefully before proceeding to part II, since no credit will be given any answer in part I which is not correct and in its simplest form

When the signal to stop is given at the close of the one and one half hour period, work on part I must cease and this sheet of the question paper must be detached. The sheets will then be collected and you should continue with the remainder of the examination

[1]

PLANE GEOMETRY

Tuesday, August 21, 1934

Write at top of first page of answer paper (a) names of schools where you have studied, (b) number of weeks and recitations a week in plane geometry previous to entering summer high school, (c) number of recitations in this subject attended in summer high school of 1934

The minimum time requirement previous to entering summer high school is five recitations a week for a school year

For those pupils who have met the time requirement previous to entering summer high school the minimum passing mark is 65 credits, for all others 75 credits

For admission to this examination attendance on at least 30 recitations in this subject in a registered summer high school in 1934 is required

Name the author of the textbook you have used in plane geometry

Part II

Answer five questions from part II, including three questions from group I and two questions from group II

Group 1

Answer three questions from this group

- 21 Prove that tangents drawn to a circle from an external point are equal [10]
- 22 Prove that the area of a trapezoid is equal to one half the product of its altitude and the sum of its bases [10]
- 23 In a certain quadrilateral one of the diagonals and the line joining the middle points of a pair of opposite sides bisect each other Prove that the quadrilateral must be a parallelogram [10]
- 24 Prove that in an isosceles triangle any line drawn from the vertex to the base is less than one of the equal sides [10]
- 25 From an external point P a tangent and a secant are drawn to a circle. The tangent touches the circle at T and the secant cuts the circle in B and C, B being the point nearer to P. At T a chord TD is drawn parallel to BC, and lines TB, TC and DC are drawn. Prove that triangle PBT is similar to triangle CDT [10]

Group II

Answer two questions from this group

Leave all work on the paper, merely writing the answers is not sufficient. Irrational results may be left in the form of π and radicals unless otherwise stated

- 26 One angle of a rhombus is 60° and the perimeter of the rhombus is 48 inches Find the area of the rhombus and the length of each diagonal [10]
- 27 The area of a regular hexagon is $24\sqrt{3}$ Find the altitude of an equilateral triangle that has a perimeter equal to the perimeter of the hexagon [10]
- 28 A circular swimming pool has a circumference of 44 yards Find, correct to the *nearest dollar*, the cost at \$2 a square yard of constructing a cement walk 3 feet wide around the pool [Use $\pi = \frac{2\cdot 2}{7}$] [10]
- 29 How far from the center of a circle of radius 12 must a point be selected so that tangents from it to the circle intercept an arc equal to one fifth of the circumference? [Find answer correct to the nearest tenth] [Suggestion Use numerical trigonometry] [10]

PLANE GEOMETRY

Tuesday, August 21, 1934 Fill in the following lines:

Name of school

. Name of pupil

Detach this sheet and hand it in at the close of the one and one half hour period

Part I

Answer all questions in this part Each correct answer will receive $2\frac{1}{2}$ credits. No partial credit will be allowed Each answer must be reduced to its simplest form

Directions (questions 1–17) — Write on the dotted line at the right of each question the expression which when inserted in the corresponding blank will make the statement true

ient true
Ans

[OVER]

PLANE GEOMETRY — concluded

Directions (questions 18-20) — Leave all construction lines on the paper

18 Construct the mean proportional between the lines \boldsymbol{a} and \boldsymbol{b}



19 Angles A and B are two angles of triangle ABC, construct angle C



20 Inscribe a regular hexagon in circle O

